- 1. $x = \frac{3}{2}$ 2. positive 3. 18 4. $\int_{-3}^{3} (-2x+3)dx = -x^2 + 3x\Big|_{-3}^{3} = 0 - (-18) = 18$ 5. $\int_{1}^{3} f(x)dx$ 6. d,b,a,c 7. c,d,b,a 8. 14 9. f'(3) = 1210. local max at x=2; local min at x=-2 11. x=0 12. F 13. B
- 14. t=0 to t=1
- 15. B. The definite integral of the velocity between t=0 and t=4 gives distance traveled in the first four seconds. The definite integral is the area under the curve. Clearly there is more area under the curve for Particle B.
- 16. Yes, the graph has no holes, jumps or vertical asymptotes that would make it discontinuous; basically, the graph can be drawn without picking my pencil up off of the paper.
- 17. No, it is not differentiable at x=0 or x=2. At each of these points, the slope of the tangent line as you approach the point from the left does not equal the slope of the tangent line from the right.
- 18. 1
- 19. $\frac{4}{3}x^{\frac{3}{2}} + C$ 20. $-3\cos(x) - \frac{x^3}{3} + C$ 21. $\frac{13}{2}$ 22. $\frac{1}{8}$ 23. $6x\cos(x) - 3x^2\sin(x)$ 24. $\frac{(x^3 + x)(2e^x) - (2e^x)(3x^2 + 1)}{(x^3 + x)^2}$ 25. $\frac{3x^2 - 2}{2\sqrt{(x^3 - 2x + 5)}}$

- 26. -2 miles/minute = -120 miles/hour. That is really fast for riding his bike or walking or even driving. Maybe he is flying over his house in a plane ☺
- 27. I would sketch a tangent line to the graph at t=1 and estimate the slope in order to compute Eugene's speed at 1 second. The calculus concept is the instantaneous rate of change.
- 28. Eugene is going faster and faster. I can tell because the slopes of the tangent lines are getting steeper and steeper.
- 29. Answers may vary check that all conditions are satisfied by your graph
- 30. B
- 31. H
- 32. A
- 33. H (if there was a choice for "inflection point" that would be correct)
- 34. C
- 35. Domain: |x| > 1; Range y > 0