You are **required** to pass a Factors and Multiples Skills Test in Mth212. There are 22 problems. You must get at least 18 of them correct to pass the Factors and Multiples Skills Test. You have 30 minutes in which to do this. YOU MAY NOT USE A CALCULATOR. You may use as much scratch paper as you wish.

The test covers factoring whole numbers into primes, finding the Greatest Common Factor (GCF) of sets of whole numbers, and finding the Least Common Multiple (LCM) of sets of whole numbers. If you know the tests for divisibility by 2, 3, 4, 5 and 10, the Factors and Multiples Skills Test will be considerably simpler.

A small amount of time will be provided in class to prepare for the Factors and Multiples Skills Test. However, most of your preparation was done in Mth211. You will receive a Practice Factors and Multiples Skills Test and you should do this practice several times until you are **extremely** comfortable with the problems.

One-half hour of class time during the first or second week of the term will be used to administer the Factors and Multiples Skills Test to your class. (See your class schedule.) If you pass it at that time you will receive 10 points of extra credit towards your Mth212 grade. If you do not pass it you will need to retake it. In order to do a retake you must call Sharyne Ryals, the math department office manager, at 503-838-8465 to make an appointment. There will be NO more class time spent on the Factors and Multiples Skills Test in Mth212.

If you pass the test after the initial class offering but before the end of the fourth week of the term you will receive 5 points extra credit towards your grade in Mth212.

YOU MUST PASS THE FACTORS AND MULTIPLES SKILLS TEST ON OR BEFORE FRIDAY OF DEAD WEEK. IF YOU DO NOT, YOU WILL NEED TO RETAKE MTH212.

If you retake the Factors and Multiples Skills Test and do not pass it, you should get some help! Immediately! You can see your instructor, use the Tutoring Center, ask another (more skilled) student, and/or review your Mth211 work from Chapter Four in the text.

After three retakes of the Factors and Multiples Skills Test, if you have still not passed, Sharyne will give you a Retake Permission Slip. You are **required** to take this slip to your instructor before you can proceed. Your instructor will provide you with additional, individual assistance and will then write the number of times you can continue retaking the Factors and Multiples Skills Test on the Retake Permission Slip. You must present the completed Retake Permission Slip to Sharyne before further retesting can occur. This process will repeat until you have passed the Factors and Multiples Skills Test or until Dead Week ends, whichever comes first.

If you have any questions now is the time to ask! You are encouraged to contact your instructor:

Email:	<u>@wou.edu</u>
Office Phone: 5	03-838-8

DO NOT DELAY PREPARATION FOR THE FACTORS AND MULTIPLES SKILLS TEST!!!

PASS IT THE FIRST TIME AND WIN BIG!

PRACTICE FACTORS & MULTIPLES TEST #1

Passing criterion is AT LEAST 18 correct in ONE-HALF HOUR. You may NOT use a CALCULATOR.

I. Rewrite as a PRODUCT OF PRIMES. If the given number is prime, write 'PRIME.'

II. Find the **GREATEST COMMON FACTOR** of the following sets of numbers:

III. TRUE or FALSE. Circle your answer.

- \mathbf{T} \mathbf{F} 1. 16779 is a multiple of 47.
- Т \mathbf{F} 2. 59 is a factor of 119.
- **F** 3. 750 is a multiple of 25. T

IV. Find the <u>LEAST COMMON MULTIPLE</u> of the following sets of numbers:

ANSWER KEY

I. PRIMES & COMPOSITES

- 1. 3×71 2. PRIME
- 3. 13×29
- 4. $2\times2\times2\times2\times17$ 5. $2\times7\times7$

- 6. 2×3×3×19 7. PRIME
- 8. 3×7×29
- 9. 2×2×103

II. GREATEST COMMON FACTOR

- 1. 3×5 or 15
- 2. 2×17 or 34 3. 1
- 4. $2 \times 3 \times 5$ or 30
- 5.67

III. TRUE OR FALSE

- 1. True
- 2. False
- 3. True

IV. LEAST COMMON MULTIPLE

- 1. $2 \times 2 \times 3 \times 3 \times 5$ or 180
- 2. $3 \times 3 \times 7 \times 13$ or 819
- $3.2 \times 2 \times 3 \times 5$ or 60

- 4. 7×11×11 or 847
- 5. $2\times2\times2\times2\times3\times5$ or 240

Fraction Terminology
Fraction
Numerator
Denominator
Part to Whole Fraction Models (Examples A, B, C)
Division Concept Fraction Model
·
Ratio Concept Fraction Model
Equality of Fractions
Fundamental Rule for Equality of Fractions
Simplifying Fractions
emping a racine is
Simplest Form

Lowest Terms
Common Denominators (least common denominator)
Rules of Signs for Fractions
Test for Equality of Fractions
Inequality of Fractions
Test for Inequality of Fractions
Density of Fractions
Mixed Number and Improper Fractions

§5.3 KEY IDEAS, page 1 of 3

Models for Adding Fractions	
Term: Addend	Term: Sum
Like denominators	Number line
Like denominators	Number line
Unlike denominators	
Offine defioring ators	
Paper and Pencil Algorithm (Rule) for Adding Fra	actions
Taper and Fencil Algorithm (Rule) for Adding Fin	actions
Improper Fractions / Mixed Number solutions	
Improper Fractions / Mixed Hamber colutions	
Models for Subtracting Fractions	
Term: Difference	
Taka Away	Mississ Addard
Take Away	Missing Addend
ATPII.	ThePlan Language of the
Adding Up	Unlike denominators
Development Development Alexandrian (Development Control to a still and (Development Control to a stil	n Frankling a
Paper and Pencil Algorithm (Rule) for Subtracting	g Fractions

§5.3 KEY IDEAS, page 2 of 3

Models for Multiplying Fractions	
Term: Factor	Term: Product
Whole × Fraction; repeated addition	Fraction × Whole
, ,	
Paper and Pencil Algorithm (Rule)	
Fraction × Fraction	
Tradudit × Fradudit	
Paper and Pencil Algorithm (Rule)	
The same of the sa	
Models for Dividing Fractions	
Term: Divisor	Term: Quotient
Repeated Subtraction (Measurement)	<u>I</u>
Paper and Pencil Algorithm (Rule): Invert and M	1ultiply

§5.3 KEY IDEAS, page 3 of 3

Number Properties for Fractions	
Closure: Addition and Subtraction	Closure: Multiplication
Identity: Addition	Identity: Multiplication
Commutative: Addition	Associative: Addition
Commutative: Multiplication	Associative: Multiplication
Distributive: Multiplication over Addition	
Inverses: Addition	Inverses: Multiplication
Mental Calculations for Fractions	
Compatible Numbers	Substitutions
Equal Differences or Add-Up	Equal Quotients
Estimation ideas for Fractions	
Rounding	Compatible Numbers

§6.1 KEY IDEAS, page 1 of 2

Decimals		
Term: Decimal Points	Term: Mixed Decimal	Term: Decimal Places
Reading and Writing Decimals		
Reading and Writing Decimals		
Madala far Dasimala, Dasimal C	``````	
Models for Decimals: Decimal S	equares	
M 11 (D : 1 D)		
Models for Decimals: Place Val	ue l'able	
Models for Decimals: Number L	ines	
Equality of Decimals		
Inequality of Decimals		
Place Value Test for Inequality	of Decimals	
Rational Numbers		
Term: Rational Numbers		
Rational Numbers as Decimals		
Davis of the development		
Power of ten denominators		

§6.1 KEY IDEAS, page 2 of 2

Denominator can be converted to a power of ten	
When is a rational number a terminating decimal?	
Rounding Decimals	

Adding and Subtracting Decimals
Models for adding and subtracting desireds
Models for adding and subtracting decimals
Paper and Pencil Algorithm (connected to model)
Multiplying Decimals
Models for multiplying decimals
Wodels for maniplying decimals
Paper and Pencil Algorithm (connected to model)
Partial Products
Dividing Designate
Dividing Decimals
Models for dividing decimals
Paper and Pencil Algorithm (connected to model)
i

§6.2 KEY IDEAS, page 2 of 2

Terminating, Repeating and Non-repeating Decimals	
Terminating	
Repeating	
Non-repeating	

EXAMPLES:

Ratios & Proportions
Ratios & Proportions Ratio: a: b = a / b
Examples
Proportion: a/b = c/d
Examples
Percents
Percents and Decimal Squares
Percents as decimals
reicents as decimals

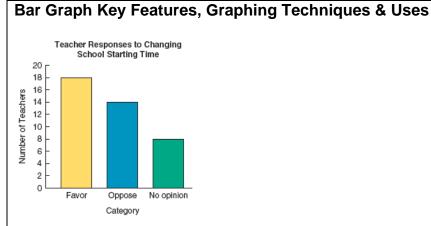
§6.3 KEY IDEAS, page 2 of 2

Percents
Given the whole and the percent, find the part
Given the whole and the part, find the percent
Given the percent and the part, find the whole.
Scientific Notation
General Ideas

NOTES:

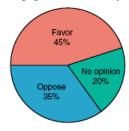
Pythagorean Theorem	
Theorem	
Examples	
Pythagorean Triplets	
Tymagoroan Impioto	
Root Rules	
Real Numbers	
Venn Diagram	
Ç	
Number Properties for Real Numbers	
Closure: Addition	Closure: Multiplication
Identity: Addition	Identity: Multiplication
identity. Addition	dentity. Wataphoation
Commutative: Addition	Associative: Addition
Once to Con Mark Barbara	Accepted to NA ICally of the
Commutative: Multiplication	Associative: Multiplication
Inverses: Addition	Inverses: Multiplication
orosor/idailion	inverses maniphedus.
Distributive: Multiplication over Addition	Completeness Property

Pythagorean Theorem Examples	
Examples	

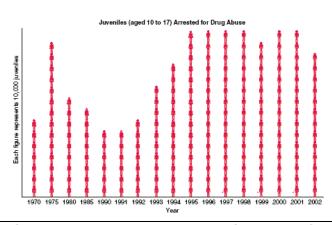


Pie Graph Key Features, Graphing Techniques & Uses

Pie Graph of Teacher Responses to Changing Hours of School Day

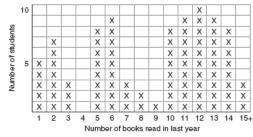


Pictograph Key Features, Graphing Techniques & Uses



Line Plot Key Features, Graphing Techniques & Uses

Number of books read by Mrs. Jones' students in last year

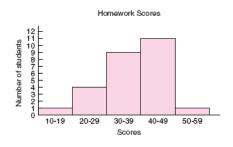


Stem and Leaf Plots Key Features, Graphing Techniques & Uses

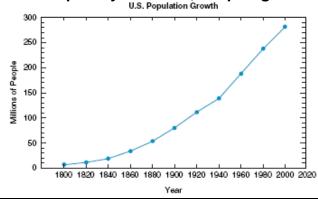
Home	work Scores
Stem	Leaf
1	9
2	2788
3	022447779
4	01335567889
5	00

Frequency Tables

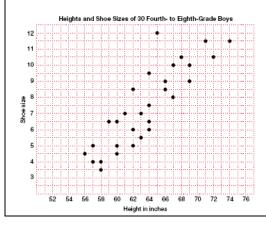
Histogram Key Features, Graphing Techniques & Uses



Line Graph Key Features, Graphing Techniques & Uses U.S. Population Growth



Scatter Plot Key Features, Graphing Techniques & Uses



Measures of Central Tendency		
Definition: Mean		
Definition: Median—Odd number	er of measurements	
Definition: Median Gad Hamb	or or measurements	
Definition: Median—Even numb	per of measurements	
Definition Mode		
	EXAMPLES	
Data Set One		
Mean	{1, 2, 3, 4, 5, 6} Median	Mode
Data Set Two	11 2 2 4 4 5 6	
Mean	{1, 2, 2, 4, 4, 5, 6} Median	Mode
Data Set Three	{1, 4, 8, 13, 24, 36}	
Mean	Median	Mode
Data Cat Faur		
Data Set Four	{1, 1, 1, 1, 4, 4, 64}	
Mean	Median	Mode
Quartiles		
Lower Quartile (Q1)		
Median (Q2)		
Upper Quartile (Q3)		

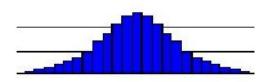
Box and Whiskers			
		EXAMP	LES
Data Set One		(4 2 2 4	F (C)
Q1= Lower	Q2 = Median	$\{1, 2, 3, 4\}$ Q3 = Upper	, 5, 6} Box and Whiskers
Q I = LOWOI	Q2 - Modian	Q0 - Oppor	Dox and windre
Data Set Two	I	I	
04	00 M. F.	{1, 2, 2, 4,	4, 5, 6} Box and Whiskers
Q1= Lower	Q2 = Median	Q3 = Upper	Box and whiskers
Data Set Three			
04	00 M. F.	{1, 4, 8, 13,	24, 36} Box and Whiskers
Q1= Lower	Q2 = Median	Q3 = Upper	Box and vvniskers
Data Set Four			
-	T -	{1, 1, 1, 1, 1,	4, 4, 64} Box and Whiskers
Q1= Lower	Q2 = Median	Q3 = Upper	Box and Whiskers
Interquartile Rai	nge		
Outliers			
Measures of Va			
Data Set Range)		
0: 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	/6		
Standard Devia	tion (from calcula	tor—use σx not \$	SX)

97.3 RET IDEAS, page 1 of 3
Sampling
Sample
Population
Random Sample
Stratified Sampling
Distributions
(Tail) Skewed to the Right (positively skewed)
If a housing market was Skewed to the Right; what would this mean in terms of housing prices? How would the mean and median be related?
(Tail) Skewed to the Left (negatively skewed)
If a housing market was Skewed to the Left; what would this mean in terms of housing prices?

How would the mean and median be related?

§7.3 KEY IDEAS, page 2 of 3

Symmetric

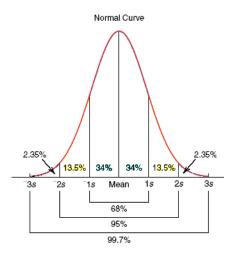


If a housing market was Symmetric; what would this mean in terms of housing prices?

How would the mean and median be related?

Normal Distributions

Normal Curve & 68% - 95% - 99.7% rule



Example E

Percentiles

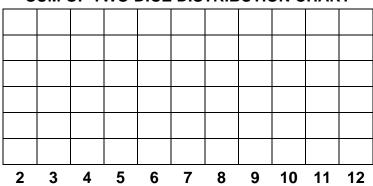
Definition: pth percentile

Example G

§7.3 KEY IDEAS, page 3 of 3

Z-Scores
Definition: Z-Score
Evenue I
Example I
Definition: Rare Event
Dice Rolling Simulation

SUM OF TWO DICE DISTRIBUTION CHART



§8.1 KEY IDEAS, page 1 of 2

Experiment
Sample Space of an Experiment
Probability of an outcome in an experiment (Experimental Probability)
Theoretical Probability of an Outcome if there are <i>n</i> equally likely outcomes
Example
Probability of Events
Example
Sample Space, S
Probability of an Event E
#F
$P(E) = \frac{\#E}{\#S}$
5
Example E
0 ≤ P(E) ≤ 1

§8.1 KEY IDEAS, page 2 of 2

Probabiity SUM formula
Example F
Probability of Compound Events
Probability of Compound Events Probability of events A and B that are not disjoint
Trobability of evertic 7 tails b that are not diejoint
Drobability of ayanta A and D that are disjoint
Probability of events A and B that are disjoint
Probability ADDITION Property
Example G
Complimentary Events
Definition / Description
Example
Odds Definition / Decoription
Definition / Description
Example

Single-stage Experiment
Multistage Experiment
Probability Trees
Examples
Tree diagrams and products of probabilities
Example C—how to simply your tree diagram
Independent Events
Probability of Independent Events (A and B)—Multiplication Property
El. B
Example D

§8.2 KEY IDEAS, page 2 of 3

Other ideas
Dependent Events Example G
Example G
Probability of Dependent Events (A and B)
1 Tobability of Dependent Events (A and B)
Complementary Events
Example H
Expected Value
Example J
Permutations and Combinations
Example M (tile arrangements)
n factorial!
Example N

Permutation Theorem
Example O
·
Example P (sets of tiles)
Order matters vs. order does not matter
Combination Theorem
Example Q
Examples