

## Ch 471 Homework

## Ch 2 Skoog

2-1 (a) Remember that the voltage across each resistor is equal to the ratio of the resistor to the sum of the resistors, times the reference voltage. For example -

$$V_1 = 10.0V \times \frac{R_1}{R_1 + R_2 + R_3} \quad \text{and so on.}$$

In addition, the sum of the voltages across each resistor must equal 10V. Therefore it follows that -

$$V_3 = 10.0V - 1.0V - 4.0V = 5.0V$$

Now we can solve the problem. Let's pick 50  $\Omega$  for  $R_1$ . It immediately follows that  $R_2$  must be 4X this value or 200  $\Omega$  because the voltage across  $R_2$  is 4X as much! Now solve for  $R_3$  -

$$5.0V = 10.0V \times \frac{R_3}{R_1 + R_2 + R_3} \quad \text{or}$$

$$0.50 = \frac{R_3}{50 + 200 + R_3} \quad \Rightarrow \quad R_3 = 250 \Omega$$

Use a combination of a 200 + 50  $\Omega$  resistor in series and you're done!

(b) 5.0V as explained above

$$2-16 (a) \quad RC = (50 \times 10^3 \Omega)(0.035 \times 10^{-6} F) = 1.75 \times 10^{-3} s = 1.75 ms$$

# Ch 471 Homework

## Ch 3 Skog

3-1. (a) inverting amplifier

(d) integrator

(e) differentiator

3-11. Op amp #1 is configured as an integrator, and #2 is a differentiator. So the output will be the same as the input!

Ch 471 Homework  
Ch 4 Skoog

1. (a)  $24 = 16 + 8$  binary = 11000  
 $2^4 + 2^3$
- (b)  $79 = 64 + 8 + 4 + 2 + 1$  binary = 1001111  
 $2^6 + 2^3 + 2^2 + 2^1 + 2^0$
- (c)  $136 = 128 + 8$  binary = 10001000  
 $2^7 + 2^3$
- (d)  $581 = 512 + 64 + 4 + 1$  binary = 1001000101  
 $2^9 + 2^6 + 2^2 + 2^0$

2. (a)  $101 = 2^2 + 2^0 = 4 + 1 = 5$
- (b)  $10101 = 2^4 + 2^2 + 2^0 = 16 + 4 + 1 = 21$
- (c)  $11100010 = 2^7 + 2^6 + 2^5 + 2^1 = 128 + 64 + 32 + 2 = 226$
- (d)  $1101001001 = 2^9 + 2^8 + 2^6 + 2^3 + 2^0 = 512 + 256 + 64 + 8 + 1 = 841$

3. (a) 8-bits =  $\frac{1}{255} \times 10V = 3.9 \times 10^{-3} V = 3.9 \text{ mV}$

(b) 12-bits =  $\frac{1}{4095} \times 10V = 2.4 \times 10^{-3} V = 2.4 \text{ mV}$

(c) 16-bits =  $\frac{1}{65535} \times 10V = 1.5 \times 10^{-4} V = 0.15 \text{ mV}$

divided by  $2^n - 1$  where  $n = \# \text{ bits}$

e.g. 8-bit  $11111111 = 2^7 + 2^6 + 2^5 + 2^4 + 2^3 + 2^2 + 2^1 + 2^0$   
 $= 255$